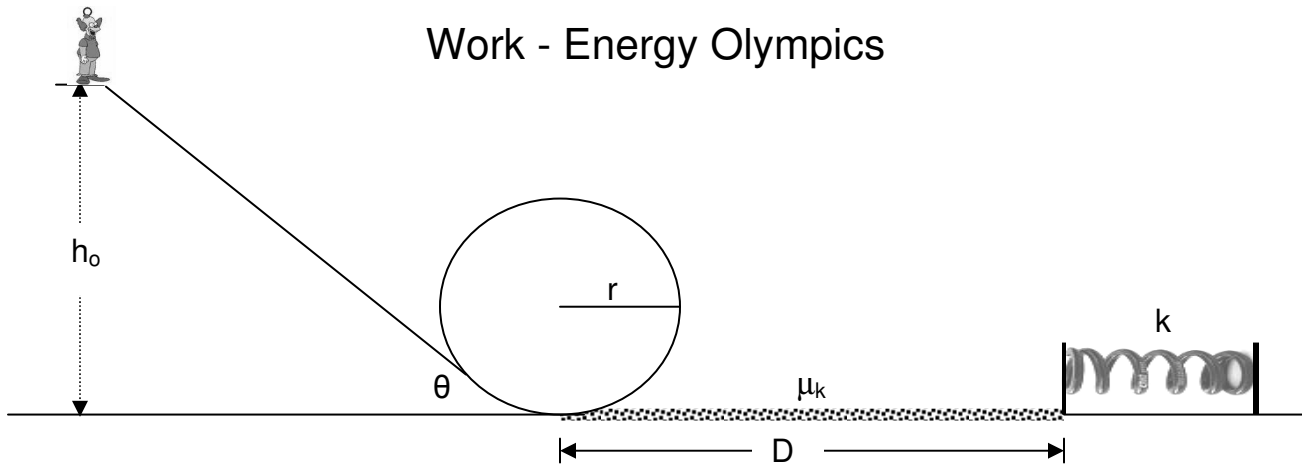


Work - Energy Olympics



- Consider some crazed ($m = 70.0 \text{ kg}$) circus clown sitting at rest above a frictionless linear ($\theta = 42.0^\circ$) incline connected to a frictionless circular ($r = 6.80\text{m}$) vertical loop. Beyond the loop is a "rough" ($\mu_k = 0.340$) horizontal surface ($D = 8.50 \text{ m}$) ending in an ideal spring bumper system which compresses 1.25 m before stopping the clown. If the clown starts from rest, use the work-kinetic energy theorem to:
 - Predict and calculate the minimum starting height such that the clown can "safely" turn the loop. ($h_0 = 17.0\text{m}$)
 - Predict and calculate the spring constant k . ($k = 12.4 \text{ KN/m}$)
- Consider a crazed ($m = 110.\text{kg}$) circus clown hanging from rest at the end of a ($L=32.0\text{m}$) long pendulum cable initially displaced ($\theta_A = 56.0^\circ$) from the vertical. The clown swings to the lowest point in it's swing, lets go of the cable and skids 15.5m along a rough horizontal surface ($\mu_k = 0.340$) towards an elastic spring ($k = 482 \text{ n/m}$) bumper system. Use the work-kinetic energy theorem to:



- Predict and calculate the maximum compression of the spring after the elastic collision with the clown. ($\Delta x = 6.28 \text{ m}$)
- Predict and calculate the maximum angular displacement θ_B after the clown "springs" away from the bumper system, grabs the cable and pendulum swings upward. ($\theta_B = 27.3^\circ$, according to Alex)